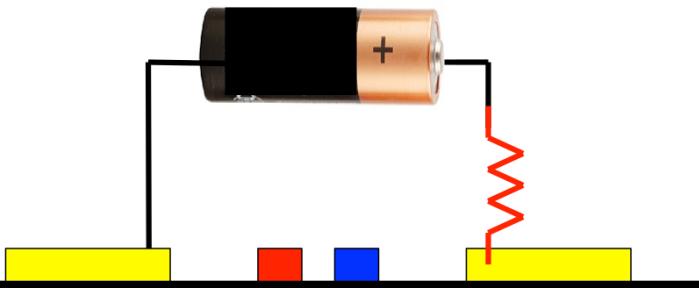


A Different Perspective Inspired by Mesoscopic Physics

Spin - Charge Conversion



2D conductor with SO coupling



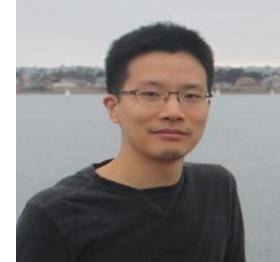
Spin Diffusion Equation with
Four Electrochemical Potentials

(2012) PRB **86**, 085131

(2015) Sci. Rep. **5**, 10571

(2016) Sci. Rep. **6**, 20325

Dr. Seokmin
Hong (INTEL)



Shehrin Sayed

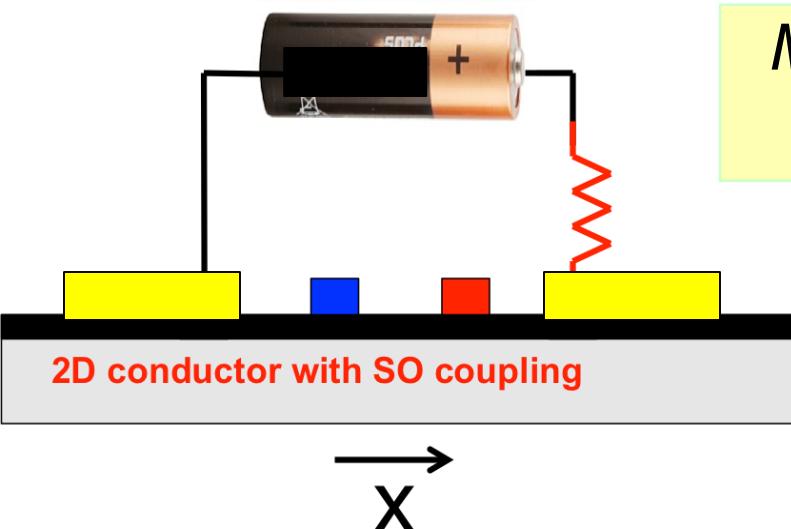


Dr. Kerem
Camsari



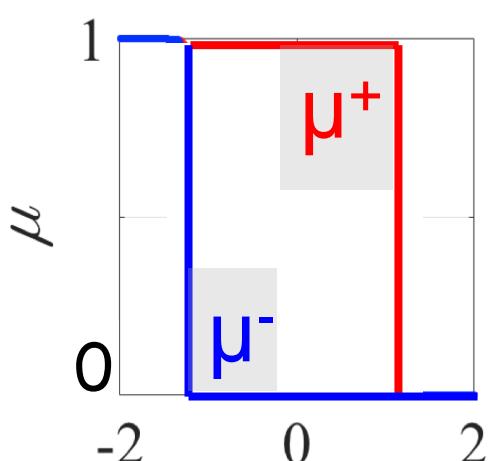
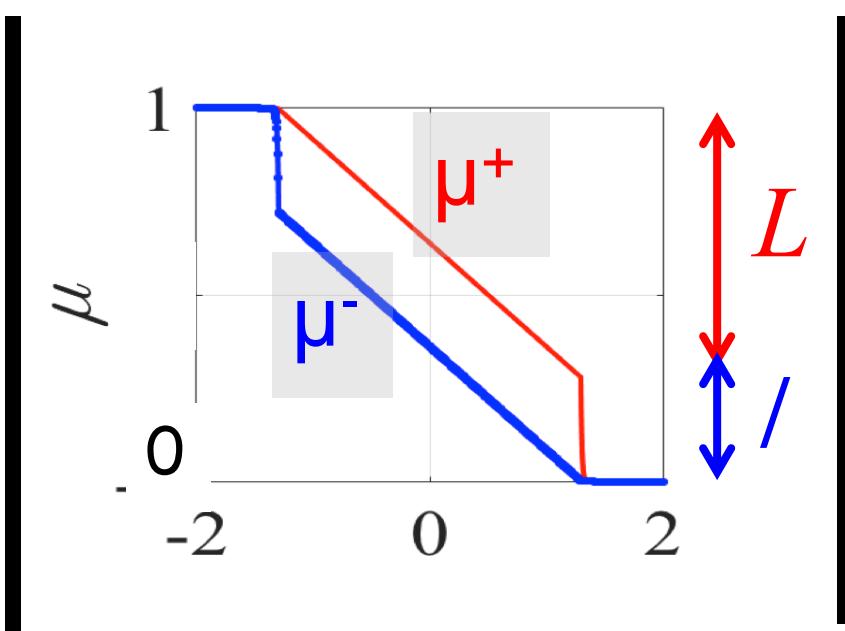
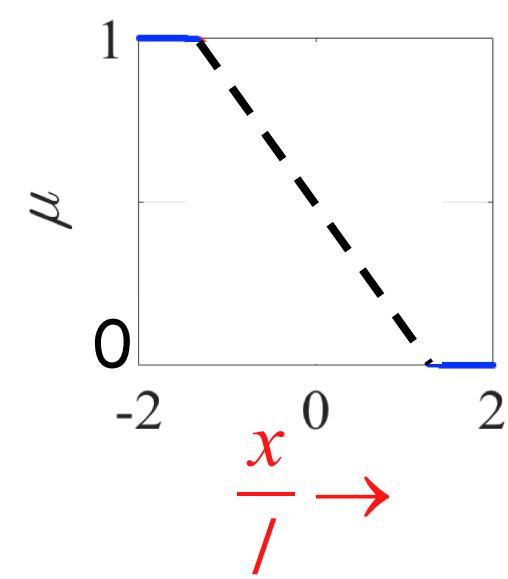
Supriyo Datta

Mesoscopic Physics: Any Conductor



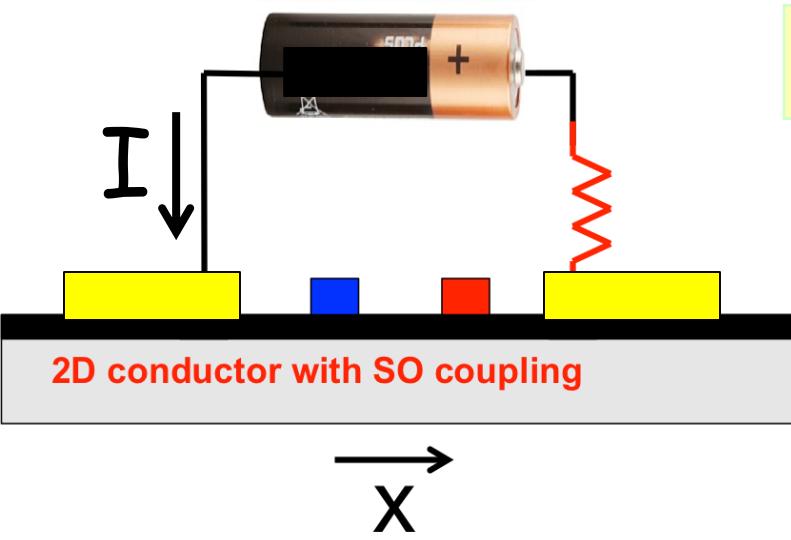
$$I = (\mu^+ - \mu^-) \frac{q}{h} M$$

G_B / q



Diffusive / \sim mean free path (mfp)

Ballistic



Number of Modes

$$I = (\mu^+ - \mu^-) \frac{q}{h} M$$

$\overbrace{\frac{G_B}{q}}^k \frac{W}{p}$

$$= (m_1 - m_2) \frac{1}{L + /} \frac{G_B}{q}$$

$$G = \underbrace{\frac{G_B}{W}}_{\lambda} \frac{W}{L}$$

$$S \sim \frac{M}{W} / \rightarrow Du /$$

Einstein
Relation



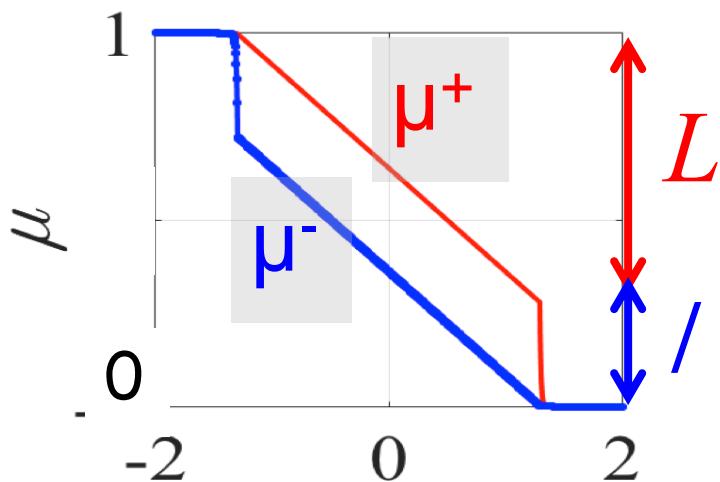
STARnet

C-SP^N

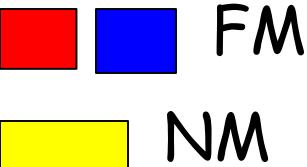
FAME

Supriyo Datta

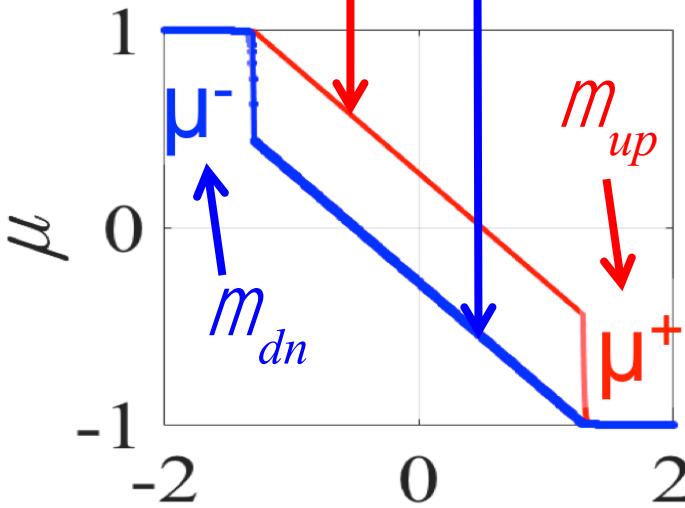
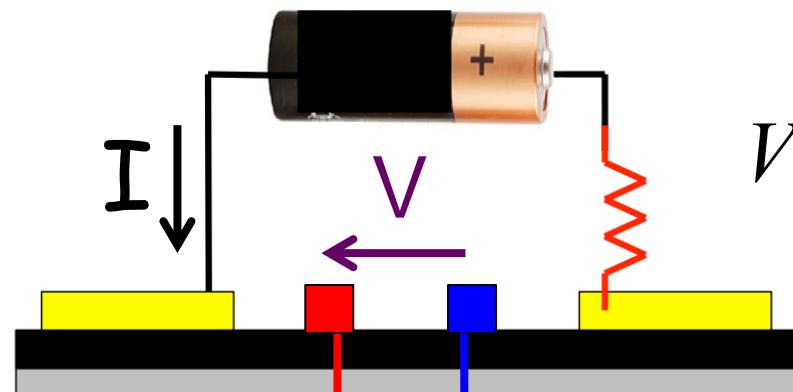
PURDUE
UNIVERSITY



$/ \sim \text{mean free path (mfp)}$


 FM
 NM

Spin voltage

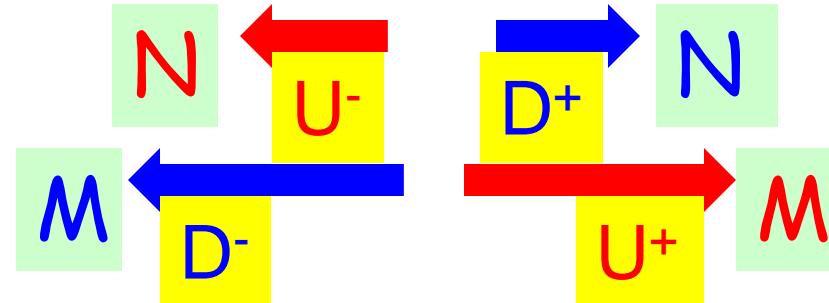


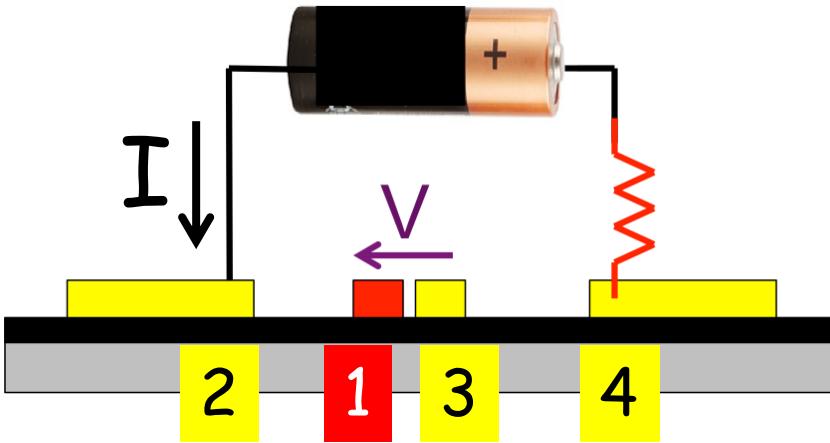
$$m^+ - m^- = qI / G_B$$

$$V = V_0 + \frac{I}{G_B} * \frac{2}{p} * p - P_{magnet}$$

$$M, N \approx \frac{k_F W}{\rho} \rightarrow p \equiv \frac{M - N}{M + N}$$

$$G_B = \frac{q^2}{h} (M + N)$$

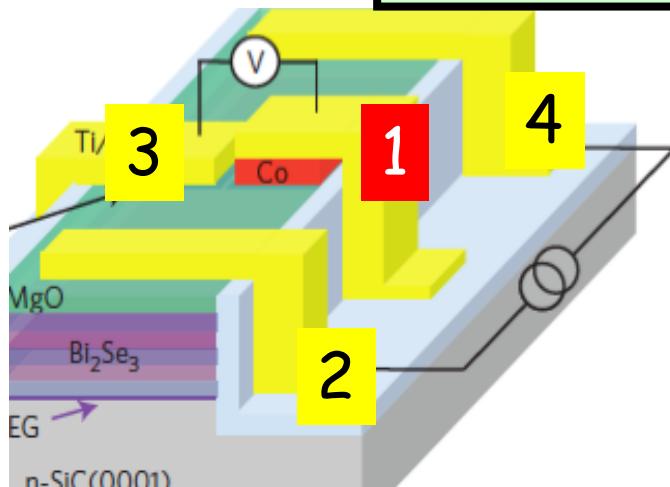




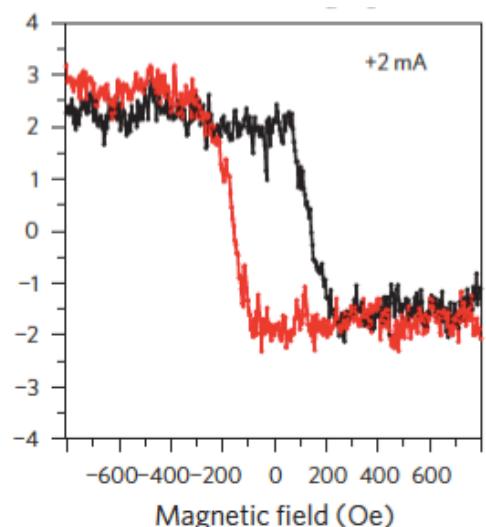
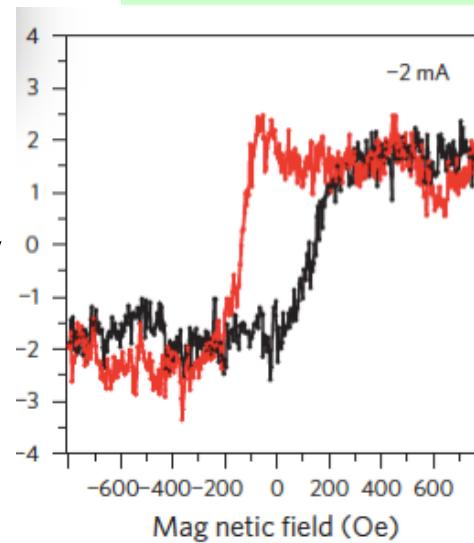
$$V = V_0 + \frac{I}{2G_B} * \frac{2p}{p} \cdot P_{magnet}$$

Experiment

*Li et al. (2014)
Nat. Nano 9, 218*

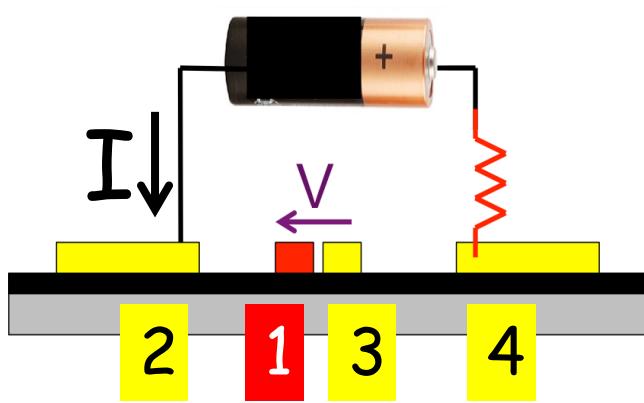


μV



Used by Büttiker (1986)

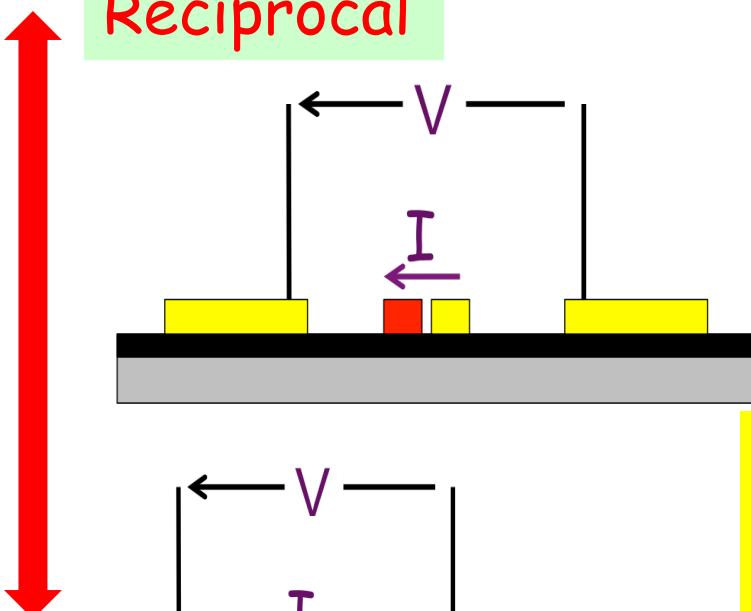
Reciprocity



$$R_{ij,kl}(+B, +M) = R_{kl,ij}(-B, -M)$$

$$V = \pm \frac{I}{2G_B} * \frac{2p}{p} * P_{magnet}$$

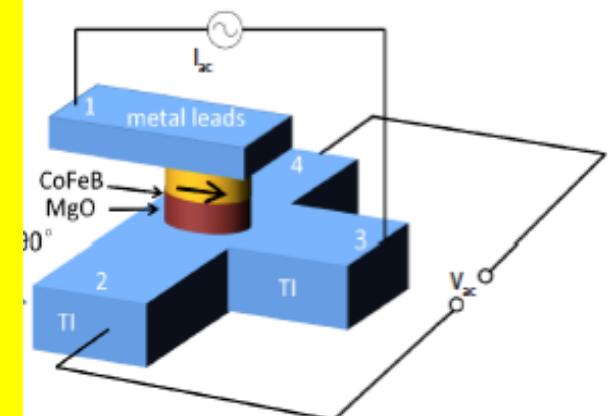
Reciprocal



$R(+M) = R(-M)$ if voltage and current terminals are the same
(Linear Response)

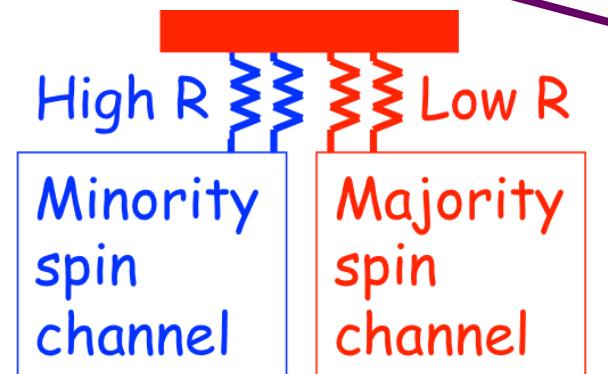
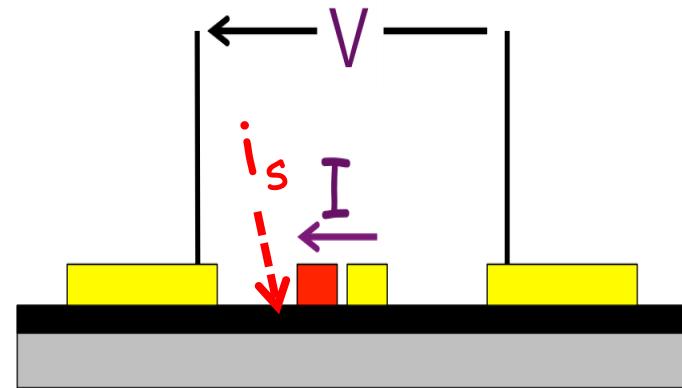
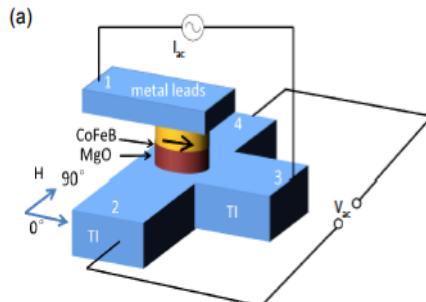
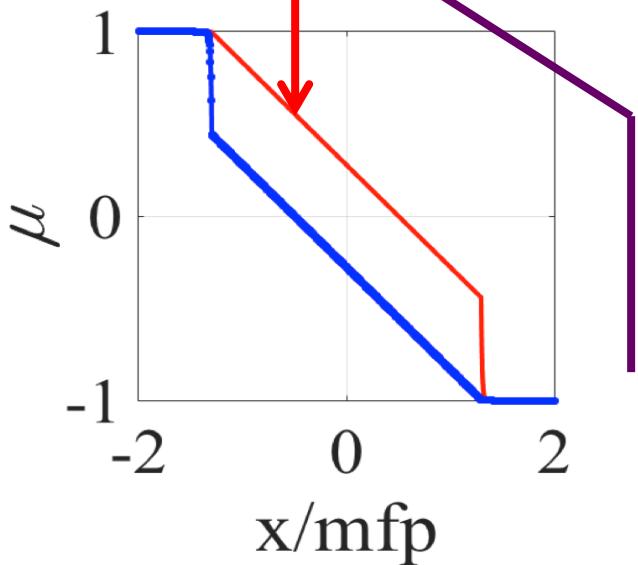
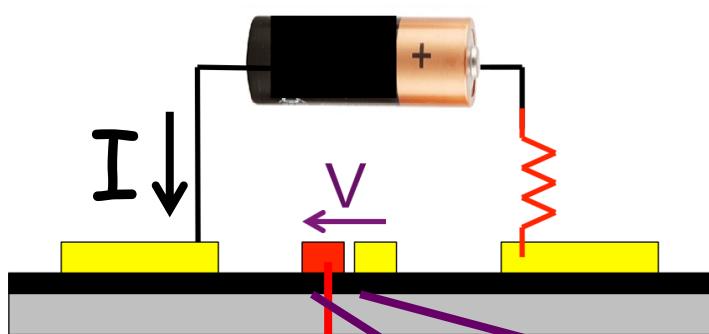
Reciprocity has been demonstrated experimentally

- Liu *et al.*, Phys. Rev. B91, 235437 (2015)



$$V = \pm \frac{qI}{2G_B} * \frac{2p}{p} - P_{magnet}$$

Can we use Low Resistance Magnet Interface?



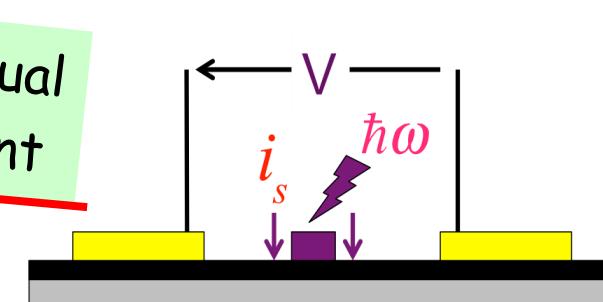
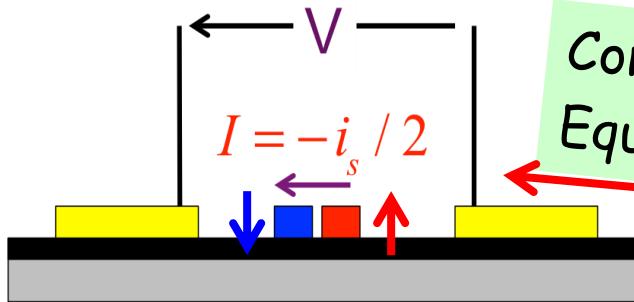
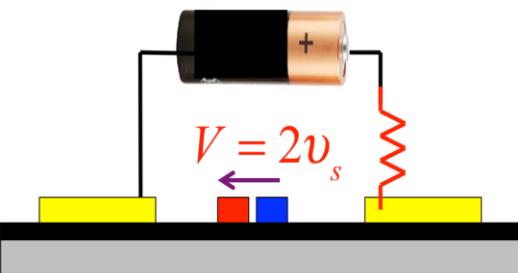
Magnet interface
should have large
minority spin
resistance

FM

NM

 $"P_{magnet}" = 1$

Injection by Spin Pumping



$$\frac{I_{SC}}{G} = V = \frac{2p}{\rho} \frac{-i_s / 2}{G_B}$$

$$\frac{k_1 - k_2}{k_1 + k_2} = \frac{M - N}{M + N} = p$$

$$I_{IREE} = \left| \frac{I_{SC}}{i_s / L} \right| = \frac{p / l}{\rho}$$

0.3 nm

$$p \gg 0.05$$

$$l \gg 20 \text{ nm}$$

$$p \approx \frac{\alpha_R}{\hbar v_F}$$

$$l \gg U_F t_s$$

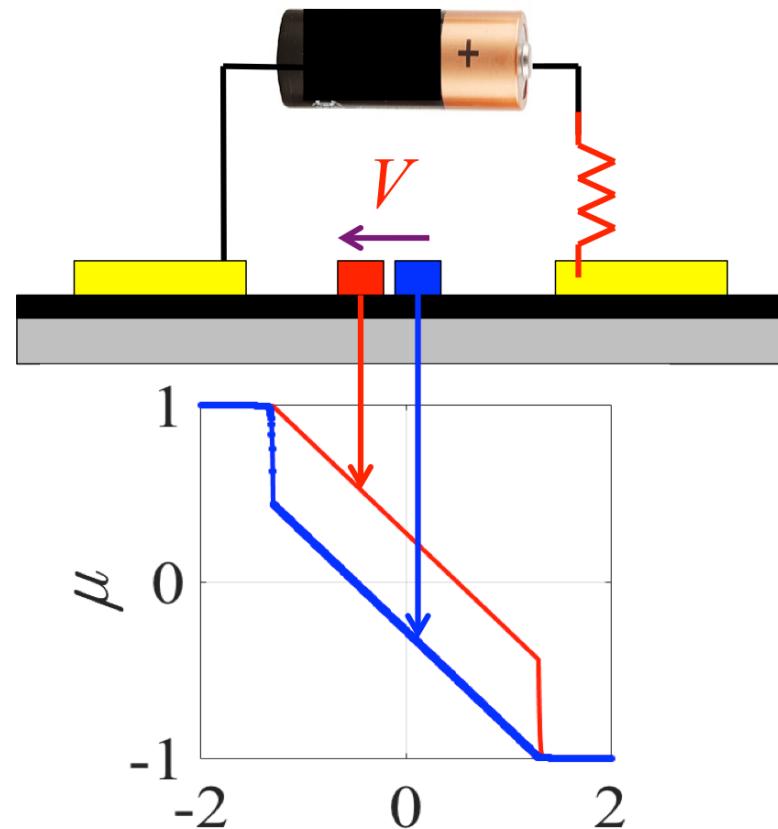
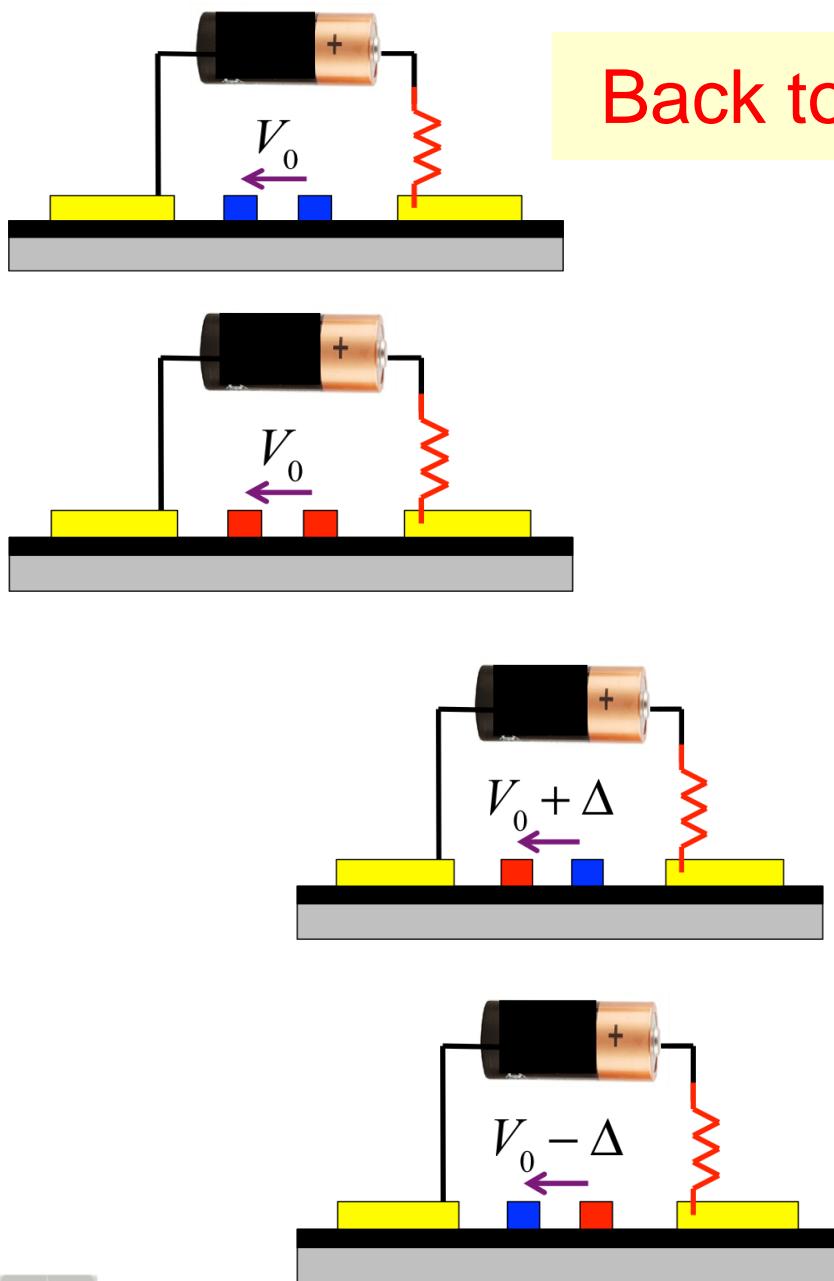
$$H = \frac{\hbar^2 k^2}{2m} I + \alpha_R \vec{\sigma} \times \vec{k}$$

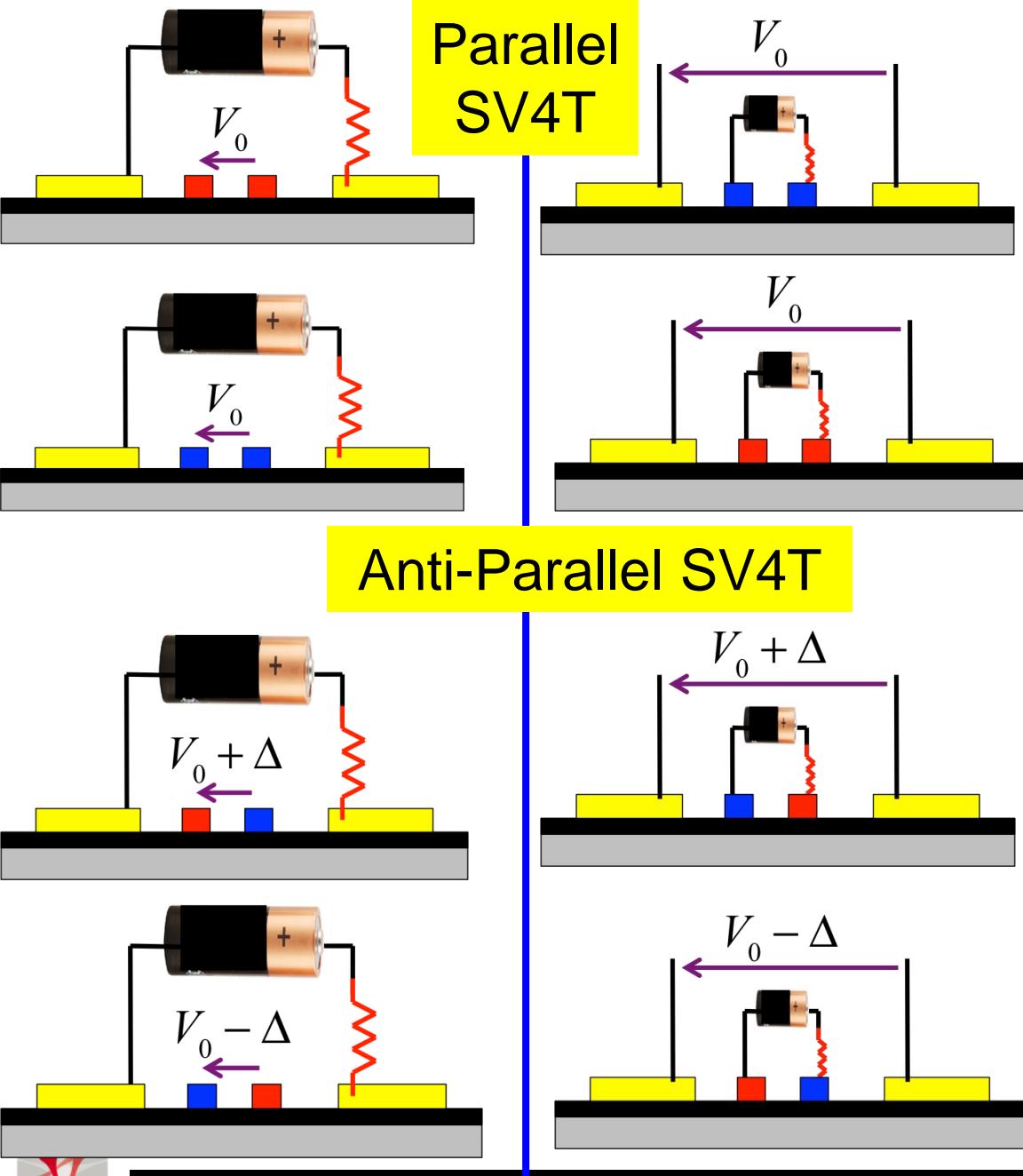
$$\frac{\alpha_R \tau_s}{\hbar} = \frac{I_{SC}}{i_s / L} = \lambda_{IREE}$$

Rojas Sanchez et al. Nat. Comm. 4, 2944 (2013)

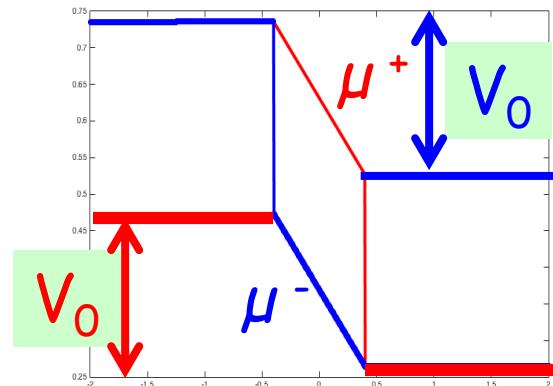
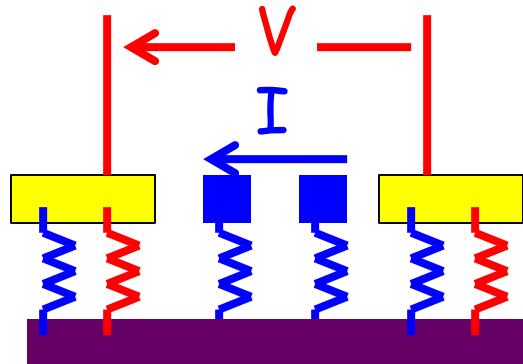
FM
 NM

Back to Regular Contacts





Reciprocal Structures



Linear Response
 $R(+M)=R(-M)$ if V & I terminals are the same

Spin Diffusion Equation with Four Potentials

Hong et al.
Sci. Rep. 6,
20325 (2016)

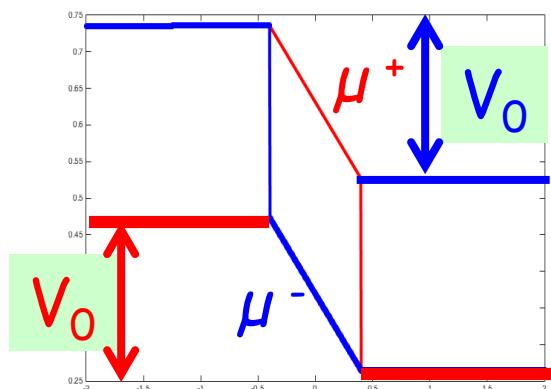
Diffusion Equation

$$\frac{d}{dx} m = -\frac{J}{S}$$

Valet - Fert Equation

$$\frac{d}{dx} m_{up} = -\frac{m_{up} - m_{dn}}{I_{sf}} = -\frac{d}{dx} m_{dn}$$

$$\frac{d}{dx} \begin{Bmatrix} M \tilde{\mu}(U^+) \\ -M \tilde{\mu}(D^-) \\ -N \tilde{\mu}(U^-) \\ N \tilde{\mu}(D^+) \end{Bmatrix} = \begin{bmatrix} -u_1 & r_{s1} & r & t_s \\ r_{s1} & -u_1 & t_s & r \\ r & t_s & -u_2 & r_{s2} \\ t_s & r_{s2} & -u_2 & \end{bmatrix} \begin{Bmatrix} \tilde{\mu}(U^+) \\ \tilde{\mu}(D^-) \\ \tilde{\mu}(U^-) \\ \tilde{\mu}(D^+) \end{Bmatrix}$$

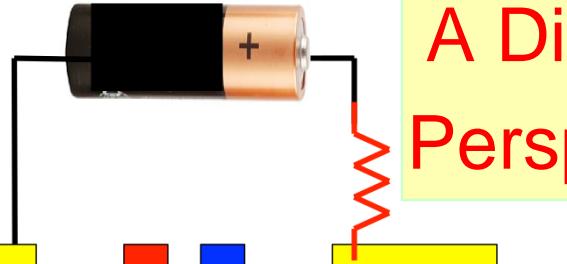


$$\frac{d}{dx} m^+ = -\frac{m^+ - m^-}{I} = \frac{d}{dx} m^+$$

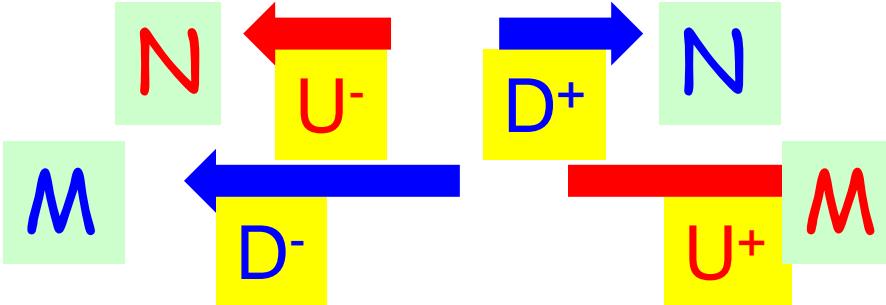
Mesoscopic Physics

Supriyo Datta

PURDUE
UNIVERSITY



A Different Perspective



2D conductor with SO coupling

... What might be of modern interest is the "channel" concept which is so important in localization theory. The transport properties at low frequencies can be reduced to a sum over one-dimensional "channels"...

P. W. Anderson, *50 Years of Anderson Localization (2010)*

Thanks!

Shehrin Sayed

Dr. Kerem Camsari

Dr. Seokmin Hong (INTEL)



$$M, N \square \frac{k_F W}{p}$$

$$\rightarrow p \equiv \frac{M - N}{M + N}$$

$$G_B = \frac{q^2}{h} (M + N)$$

$$G = G_B \frac{I}{L}$$